

The DUNE-PRISM Detector

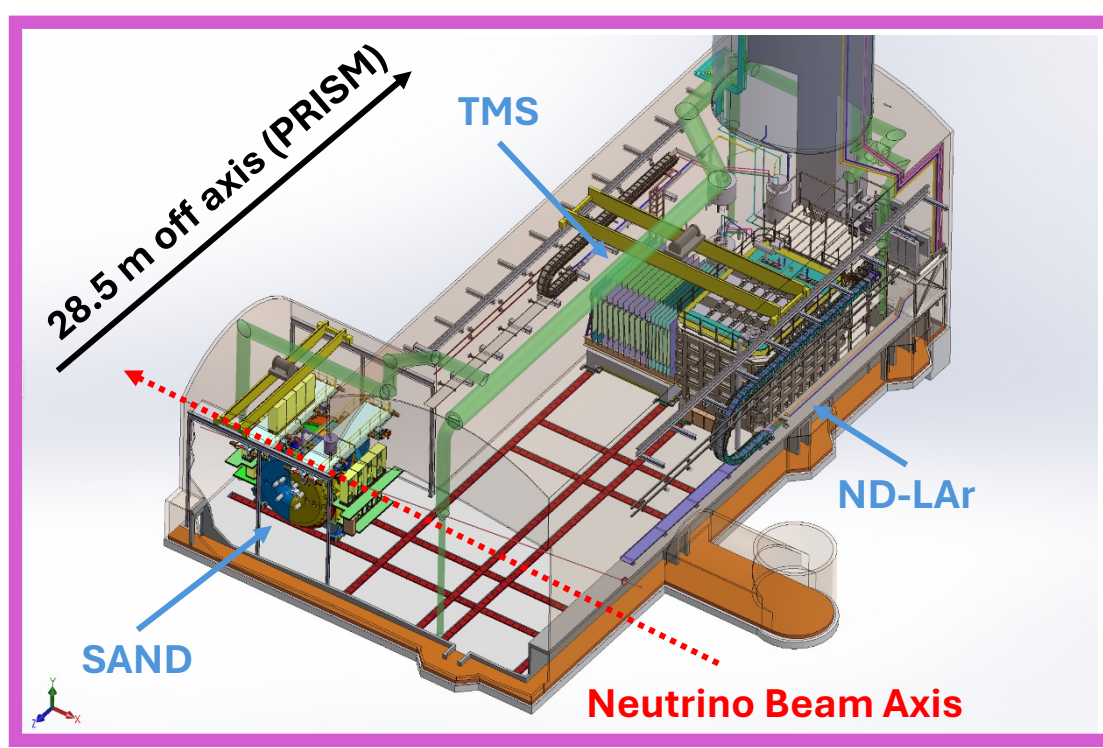
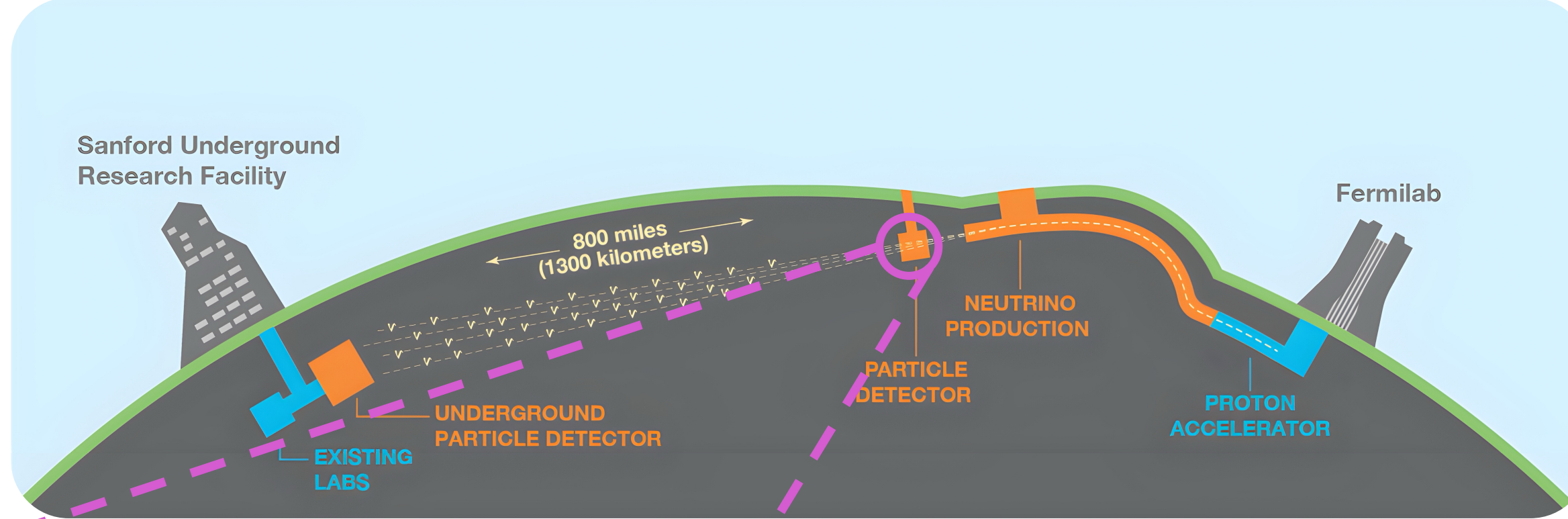


Next-generation oscillation experiment, measuring:

$$P(\nu_\mu \rightarrow \nu_\mu)$$

$$P(\nu_\mu \rightarrow \nu_e)$$

$$\delta_{CP} \quad U_{PMNS}$$



Movable Near Detector

- Shifts off-axis to scan multiple fluxes

↑ **robust** oscillation results
↑ **control on systematics**

Motivation

Neutrino oscillation needs $\sigma(E)$

$$N(E_\nu) = P(\nu_\alpha \rightarrow \nu_\beta) \cdot \sigma(E_\nu) \cdot \Phi(E_\nu) \cdot \epsilon(E_\nu)$$

Why Now?

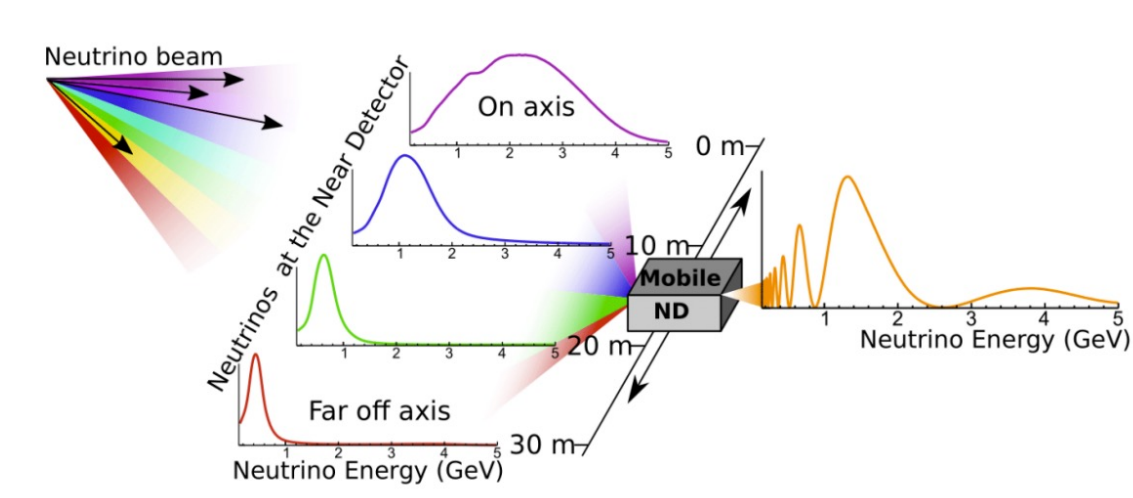
Statistical error is shrinking — model systematics will dominate without $\sigma(E)$ control.

What DUNE-PRISM Solves:

- Enables **data-driven** constraints on $\sigma(E)$
- Helps separate flux and cross-section effects

From Off-Axis Flux to $\sigma(E)$

Step 1: Input Flux



$$\Phi_{\nu_\mu, j}(E_i) \rightarrow M_{ij}$$

$$\Phi_{\nu_e, j}(E_i)$$

MC

Step 4: Event Rate

$$R_{\nu_e} \quad R_{\nu_\mu}$$

$$R(E) \approx \Phi(E)\sigma(E)$$

$$R_{\nu_\mu}^{LC} = \sum_j c_j R_{\nu_\mu, j}$$

Coefficients from flux matching

Step 2: Target Definition

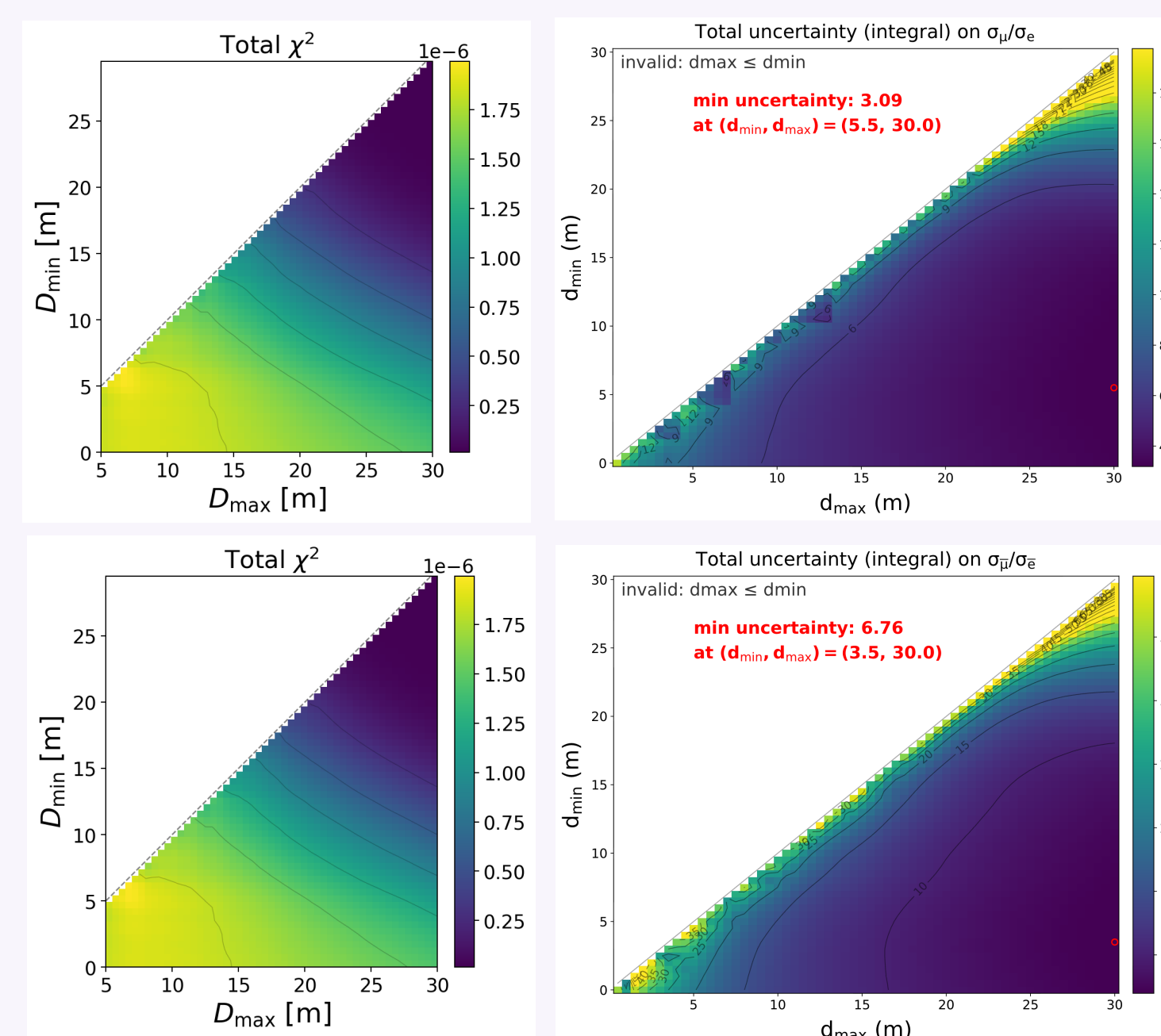
$$\Phi_{\nu_e, j}(E_i) \rightarrow F_i$$

Method 1:

Off-axis position range

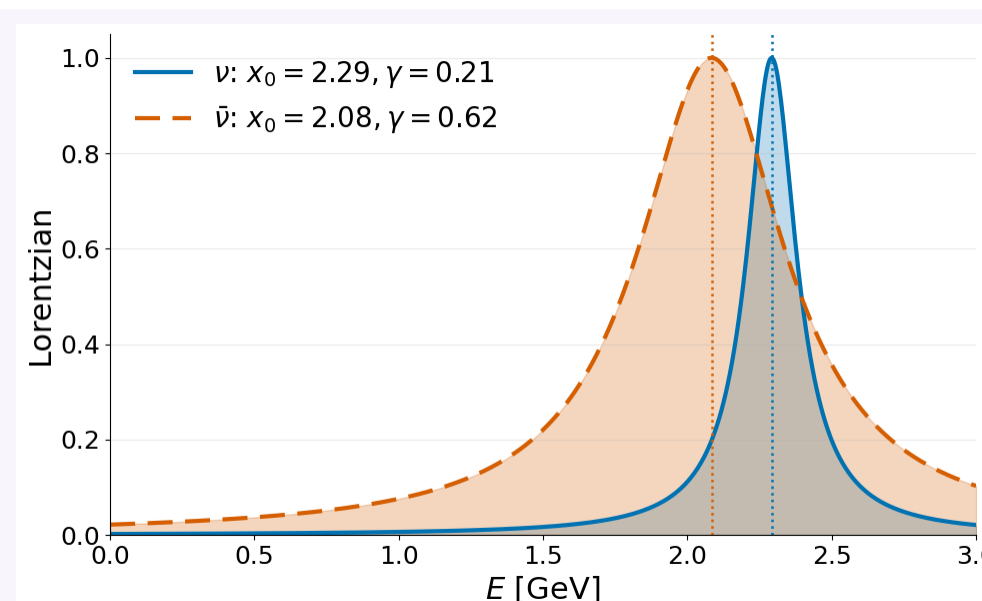
$$F_i = \sum_{j=j(d_{\min})}^{j=d_{\max}} \Phi_{\nu_e, j}(E_i)$$

Best choice?



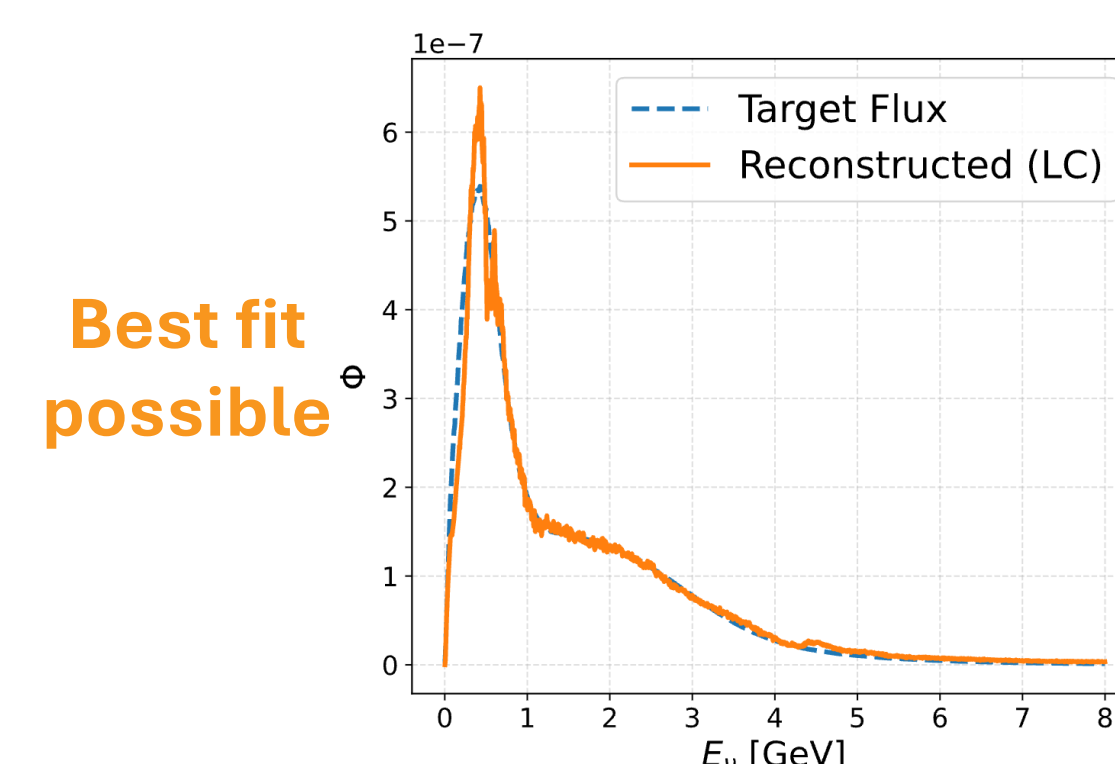
Method 2:

Linear combine to fit a function

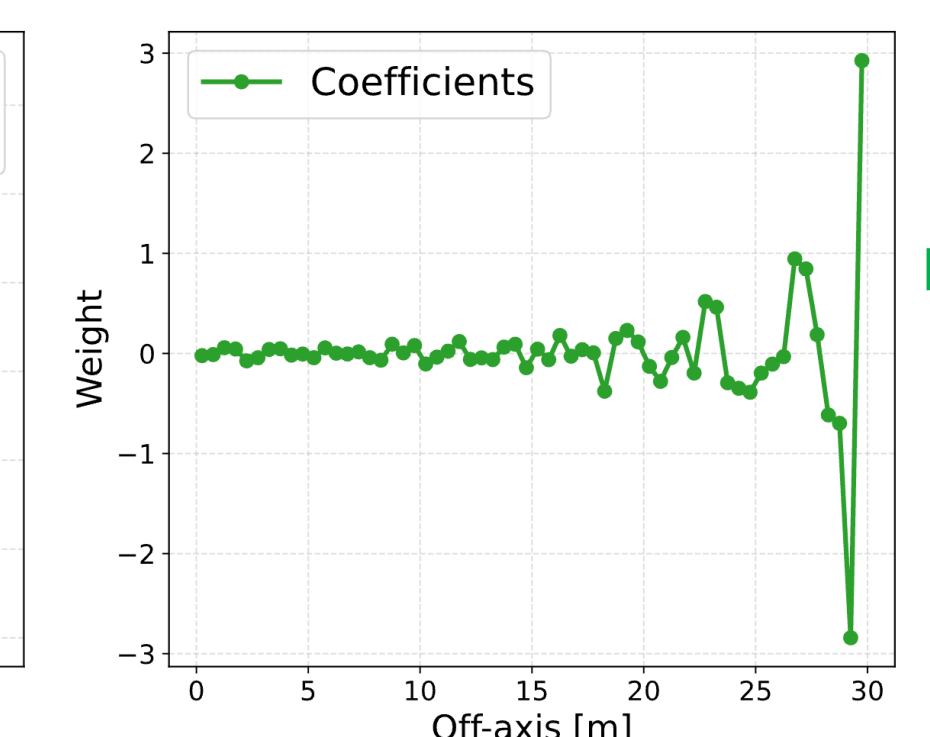


Step 3: Flux Matching

$$\Phi_{\nu_e}(E_i) = \sum_j c_j \Phi_{\nu_\mu, j}(E_i)$$



Best fit possible

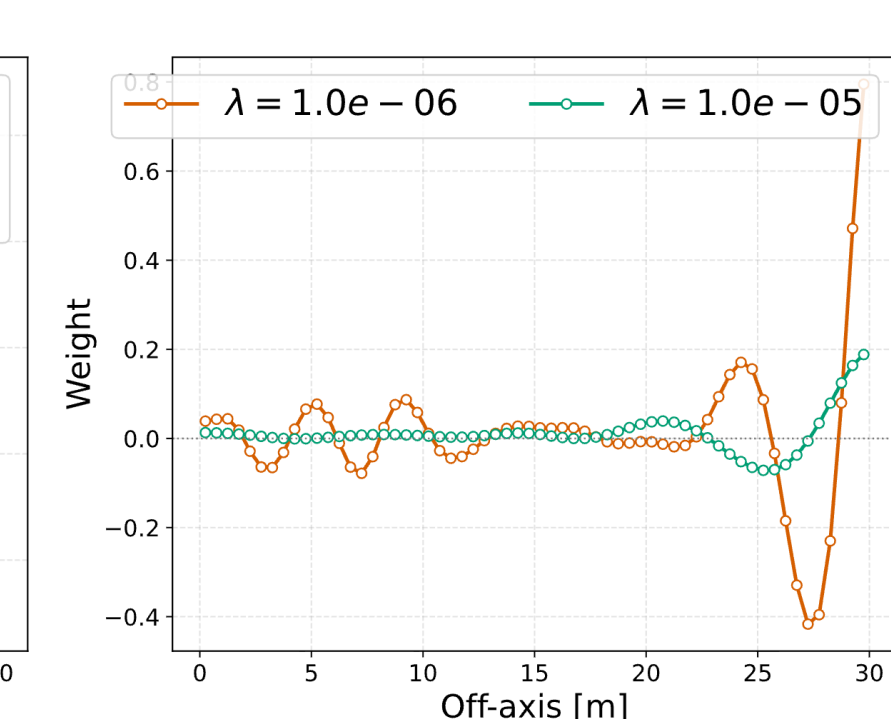
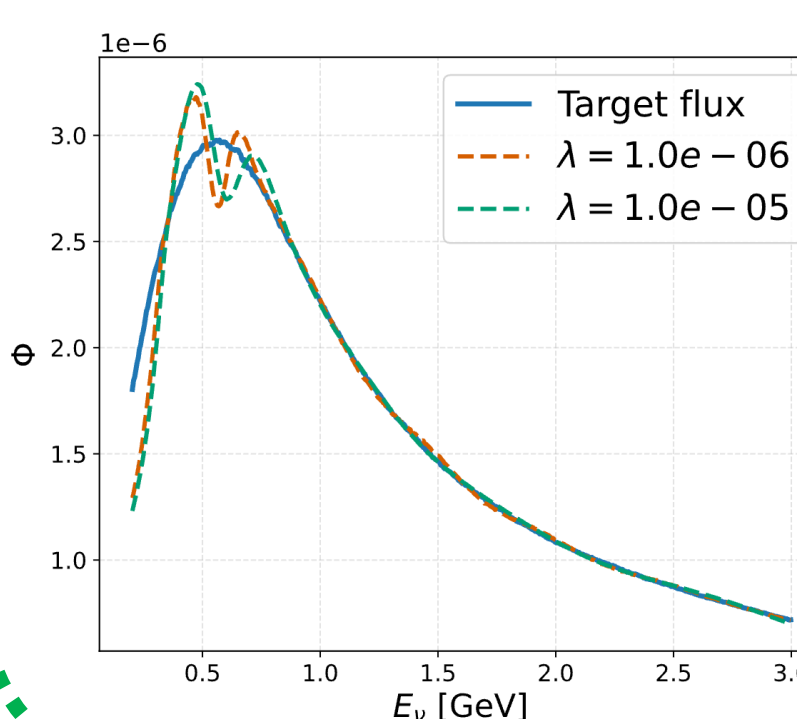


Large weights
Erratic behaviour

$$\text{Solution: } \min_{\vec{c}} \left\| \vec{F} - \mathcal{W} M \vec{c} \right\|^2 + \left(\lambda \left\| \vec{c} \right\|^2 \right)$$

Focus on **lower energies**

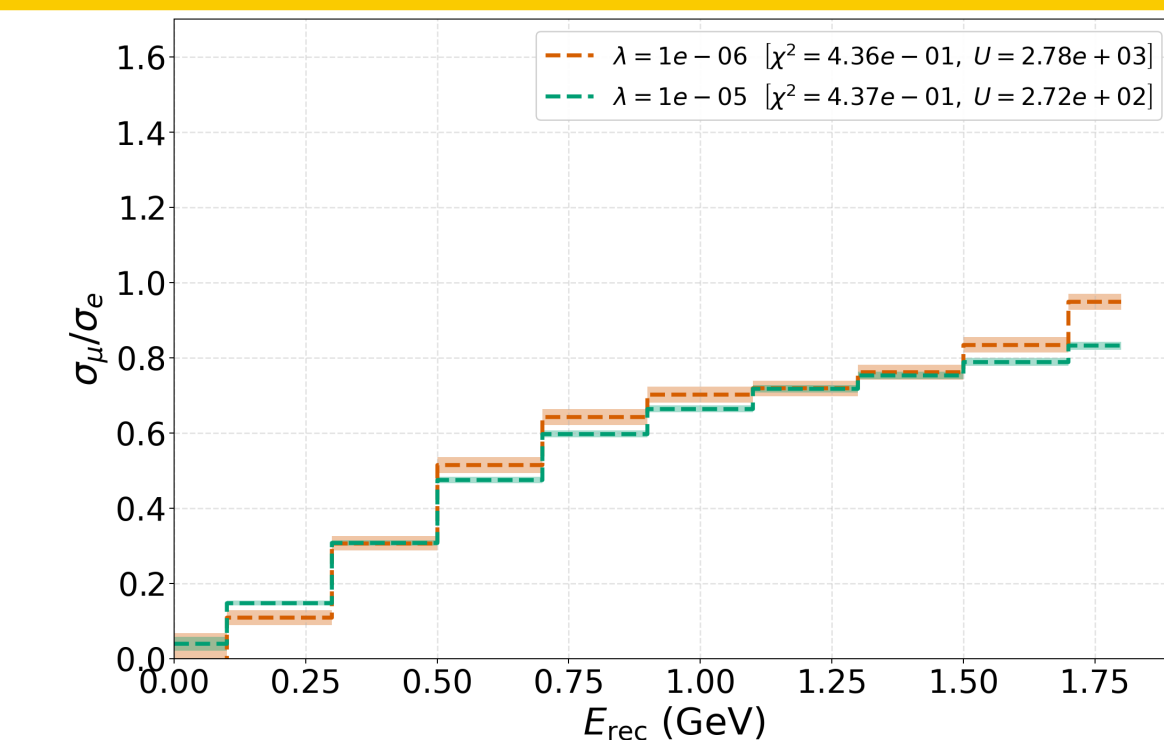
Fixing the chaos:
regularization



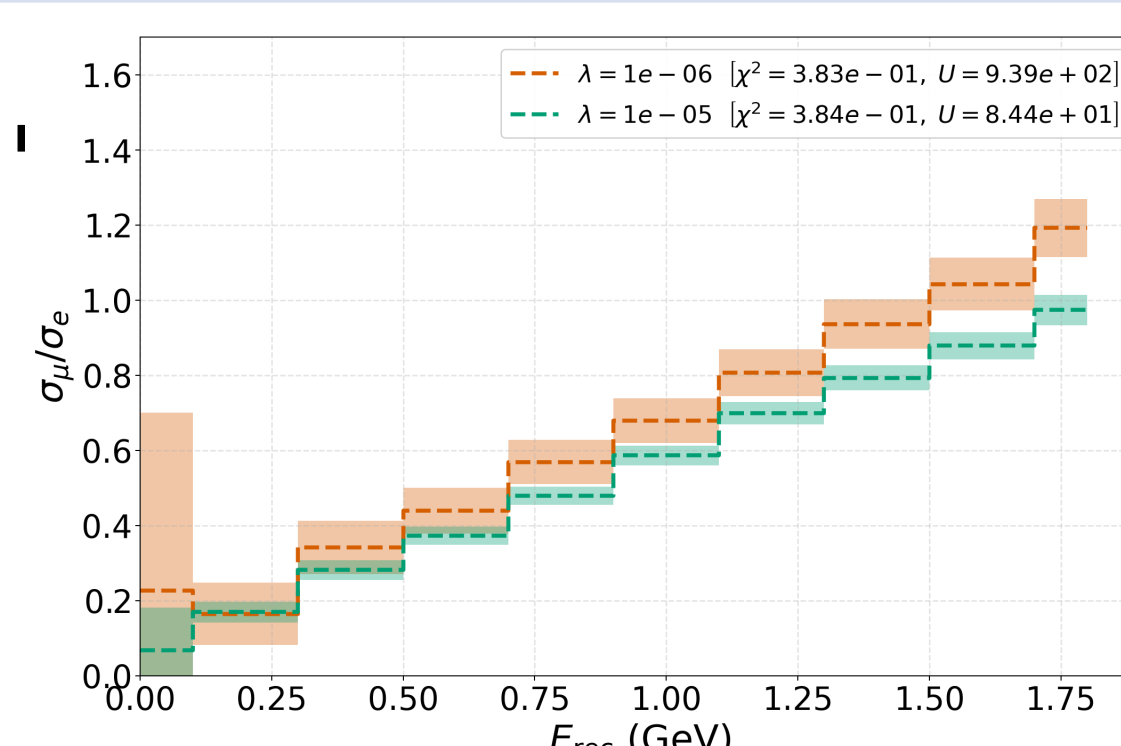
Smaller weights
Smooth behaviour

Step 5: Cross section ratio

$$\frac{R_{\nu_\mu}^{LC}(E)}{R_{\nu_e}(E)} = \frac{\sigma_\mu(E)}{\sigma_e(E)}$$

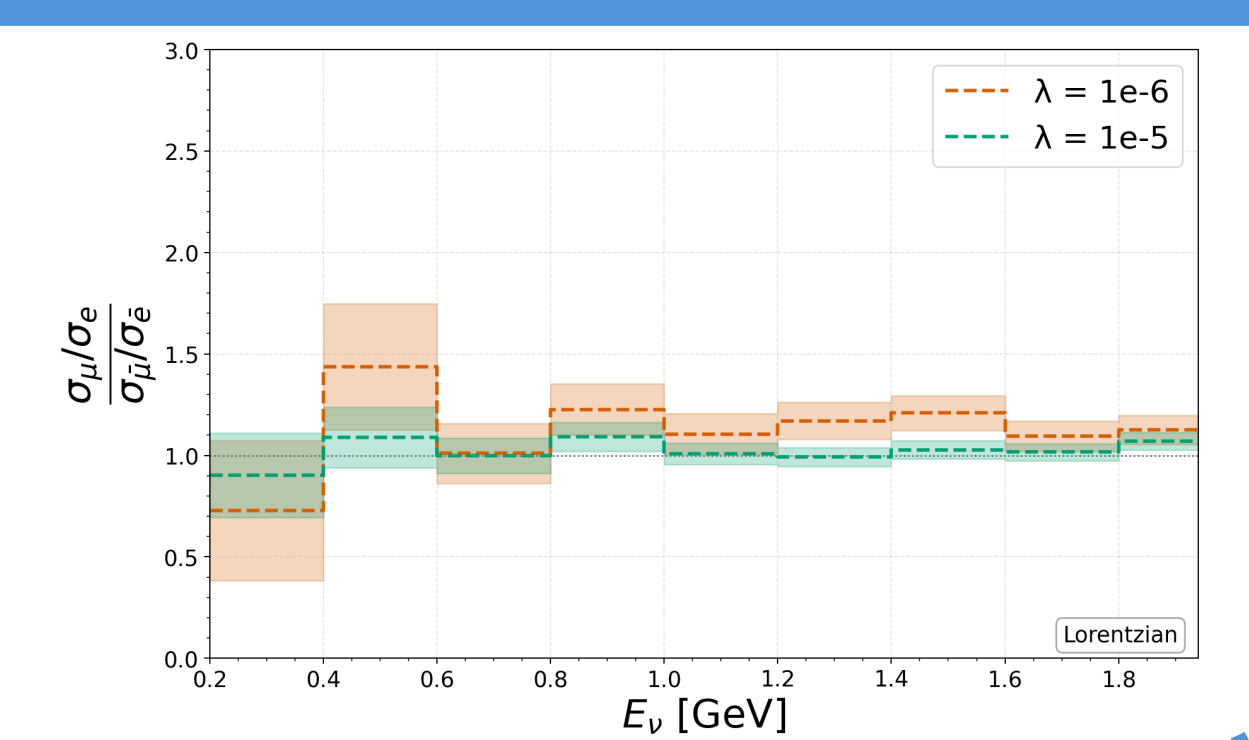


Step 6: Repeat for antineutrinos



Step 7: Double Cross section ratio

$$\frac{\sigma_{\nu_\mu} / \sigma_{\nu_e}}{\sigma_{\bar{\nu}_\mu} / \sigma_{\bar{\nu}_e}}$$

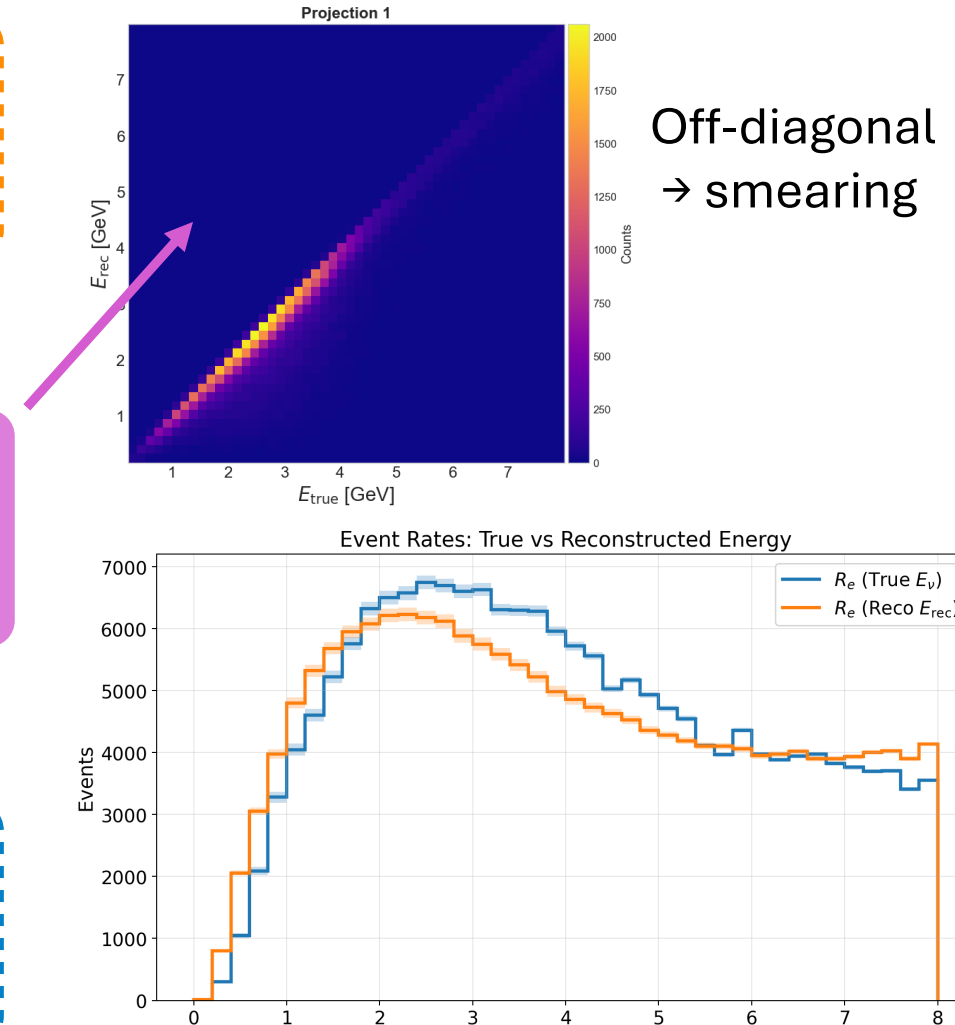


Forward folding: $E_{\text{true}} \rightarrow E_{\text{rec}}$

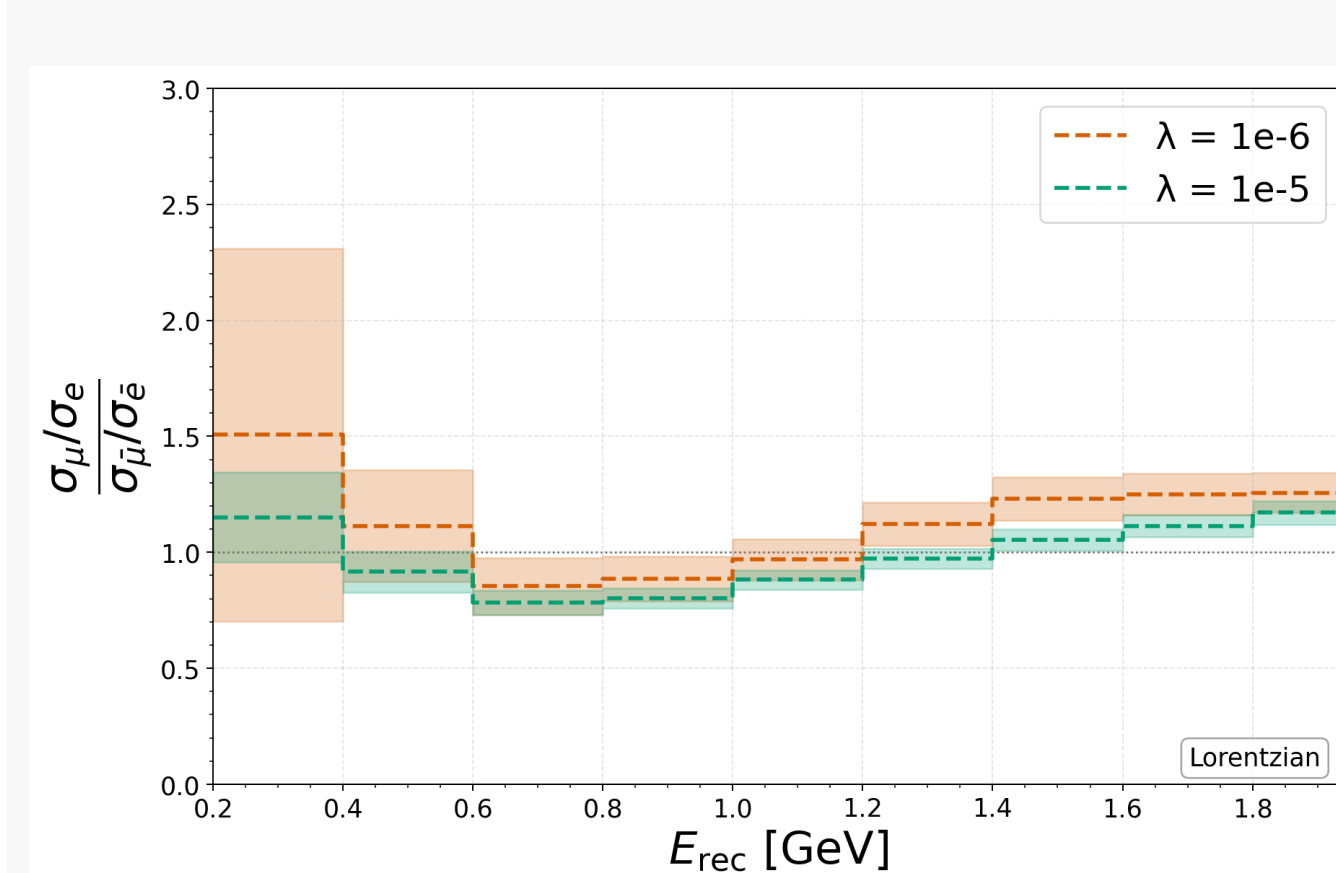
MC events $R_{\nu_\alpha}(E_{\text{true}}^{(j)})$

Response matrix $R(E_{\text{reco}}^{(i)}, E_{\text{true}}^{(j)})$

Measured events $R_{\nu_\alpha}(E_{\text{reco}}^{(i)})$



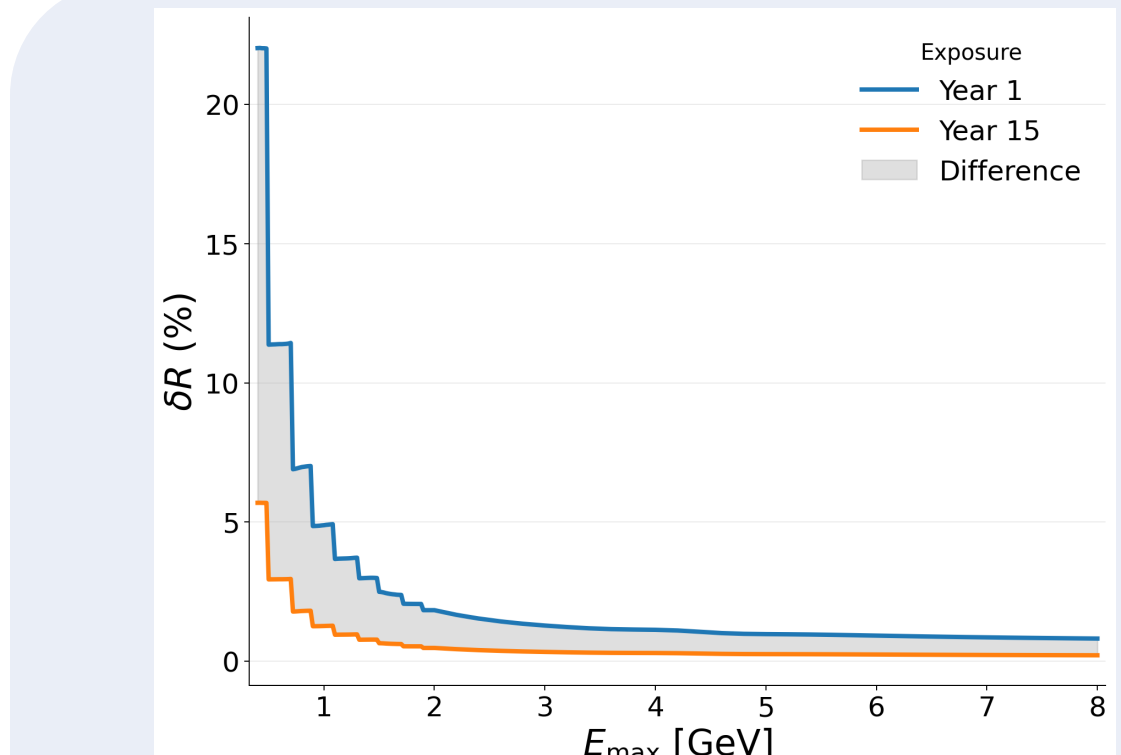
Double cross section ratio



Conclusions

Target optimization reduces uncertainties: Choosing parameters via χ^2 and total uncertainty scans ensures stable flux definitions.

Linear combination fitting is the best strategy: Produces smoother weights and lower errors than window methods.



Uncertainty shrinks with exposure: From ~20% at 1 year to **below 5% after 15 years.**

References:

- The DUNE Collaboration, "Deep Underground Neutrino Experiment (DUNE): Near Detector Conceptual Design Report", arXiv:2103.13910 [physics.ins-det], 2021
- The DUNE Collaboration, *DUNE Far Detector Technical Design Report*, arXiv:2002.03005 [hep-ex], 2020
- C. Hasnip, *DUNE-PRISM: Reducing neutrino interaction model dependence with a movable neutrino detector*, CERN, presented at NuFact2023, 25th Int. Workshop on Neutrinos from Accelerators, 2023.
- S. Dolan, *Uncertainties in modelling neutrino interactions*, NOW 2022, Italy, Sept. 2022; and *Neutrino Interactions: The Nucleus Strikes Back*, Neutrino Summer School, CERN, Aug. 2021.

Full Report

